## Inventory Control Overview

- Doctrine and Variables
- Basic EOQ Model
- Special EOQ Models
- Reorder Point Models
- Computer Applications



## Why lnventory control Models?

It is not always possible for a firm to fax, e-mail, or telephone an inventory order to an external supplier and expect to receive that order within a two-hour time frame.

## History

- Developed in 1912 by Ford Whitman Harris, a production engineer at Westinghouse, the U.S. electrical goods manufacturer.
- Engineer, inventor, author, and patent attorney.
- No formal education beyond high school.
- Calculus-based models that allow the firm to develop an inventory control decisisse for each material or component stocked.




## Inventory Control Doctrine Objective



## Inventory Control Doctrine Elements



## 99M豆N




## Variable Interpretations

## SERVICE SECTOR

$Q^{*}$ or $E O Q$ is the optimal purchase amount from an outside vendor

## MANUFACTURING

Q* or EOQ is the optimal production run or lot size


## Variable Interpretations

## SERVICE SECTOR

## MANUFACTURING

$D$ or $D_{A}$ is either:
$D$ or $D_{A}$ is the external annual customer demand

Annual wholesaler demand or
Annual internal demand from sister divisions within the firm


## Variable Interpretations

## SERVICE SECTOR

## MANUFACTURING

Purchase Forms Supervisor Approvals<br>Shipping Costs Delivery Inspections Stocking Costs Accounts Payable Processing

> S, K, Co is the fixed administrative cost of ordering $\mathbf{Q}^{*}$ regardless of the amount
$\mathrm{S}, \mathrm{K}, \mathrm{Co}$ is the setup cost for $\mathrm{Q}^{*}$

- Equipment Resets
- Worker Preps
- Lost Productivity
- Product Scrappage and Rework



## Variable Interpretations

## SERVICE SECTOR

## H or $\mathrm{C}_{\mathrm{H}}$ is the carrying or holding cost: the cost of storing one unit for one year

SALARIES AND WAGES FOR WAREHOUSE EMPLOYEES WAREHOUSE PAPER AND FORMS
WAREHOUSE DEPRECIATION
MATERIALS HANDLING COST OF CAPITAL OBSOLESCENCE INSURANCE
SPOILAGE UTILITIES
TAXES THEFT


- Daily, weekly, monthly, and annual demand are known and constant.
- No stockouts are allowed.
- No backordering is allowed.
- No physical limits on warehouse capacity.
- Lead time is constant.
- Order quantity is received all at once.
- Unit purchase price or manufacturing cost remains fixed.


## Optimal Q or EOQ Formula



# EOQ Formula Example 

Given $D_{A}=5,000$ units $\quad H=\$ 1.00 \quad S=\$ 49.00$

$$
\begin{aligned}
Q^{*} / E O Q & =\sqrt{\frac{(2)(5000)(49.00)}{1.00}} \\
& =\sqrt{\frac{490,000}{1.00}} \\
& =700 \text { units }
\end{aligned}
$$

## Inventory Modeling with QM for Windows



QM for Windows to accompany Render/Stair/Hanna's Quant Analysis for Mgt text
$\|$ File Edit Yiew Module Format Iools window Help
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QM for Windows


Instruction
Select a MODULE from the menu bar at the top to begin a problem set or select FILE to OP saved data set.

TO SELECT THE INVENTORY CONTROL MODELS

QM for Windows


```
QM QM for Windows
```



Create data set for Inventory/Economic Order Quantity(EOQ) Model

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## THE DIALOGUE BOX APPEARS

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```
Arial 
```

(- No reorder point
Compute reorder point


Estuction
Enter the value for the unit cost. If the holding cost is expressed as a percentage then the unit c must be strictly positive. Any non-negative value is permissible.

| Parameter | Value |
| :--- | ---: |
|  |  |
| Demand rate(D) | 5,000 |
| SetupiOrdering cost(S) | 49 |
| Holding cost(H) | 1 |
| Unit cost | 0 |

## ANNUAL DEMAND = 5,000 UNITS <br> ORDER COST = \$49.00

CARRY COST PER UNIT = $\$ 1.00$
( UNIT COST NEED NOT BE SPECIFIED )


QM for Windows - G: IEXAMPLE - BASIC EOQ MODEL.inv


EXAMPLE - BASIC EOQ MODEL - Dr. Vaccaro Solution

| Parameter | Value | Parameter | Value |  |
| :---: | :---: | :---: | :---: | :---: |
| Demand rate(D) | 5,000 | Optimal order quantity ( $\mathrm{Q}^{*}$ ) | 700 |  |
| SetupiOrdering cost( S ) | 49 | Maximum Inventory Level (Imax) | 700 |  |
| Holding cost( H ) | 1 | Average inventory | 350 |  |
| Unit cost | 0 | Orders per period(year) | 7.14 |  |
|  |  | Annual Setup cost | 350 |  |
|  |  | Annual Holding cost | 350 |  |
|  |  |  |  |  |
|  |  | Unit costs (PD) | 0 |  |
|  |  | Total Cost | 700 |  |

00
2en File Edit view Module Format Iools Window Help
Reorder point
C. No reorder point
$C$ Compute reorder point
0

## - Scale Axes



Reset to default


## Total Variable Cost ( TVC )

The cost of each " $\mathbf{Q}$ " - optimal or non-optimal


##  <br> Annual Carry Costs EOI Order or Setup Costs (S)

....)AND TOTAL VARIABLE COST ( TVC ) IS MINIMIZED !

## THE INVENTORY COST TRADEOFF



## Total Variable Cost ( TVC ) Formula



## TVC Formula Example

Given $D_{A}=1,000$ units $H=\$ .50 \quad S=\$ 10.00$ and $Q^{*}($ or any $Q)=200$ units

$$
\begin{gathered}
\operatorname{TVC}=\left(\frac{200}{2} \times .50\right) \\
{[\$ 50.00]+[\$ 50.00]}
\end{gathered}
$$

$$
\$ 100.00
$$

QM for Windows

| File Edit Yiew Module Format Iools window Help |  |  |
| :---: | :---: | :---: |
| $\square$ New | - | 1 Economic Order Quantity(EOQ) Model |
| $\xi$ Open | Ctrl+O | $\underline{2}$ Production Order Quantity Model |
| ${ }^{5}$ Close |  | 3 Quantity Discount (EOQ) Model |
| [. Save | Ctrl+5 | 4 ABC Analysis |
| Save ${ }_{\text {g }}$... |  | $\underline{5}$ Reorder Point/Safety Stock (Normal Distribution) |
| In Save as Excel file |  | $\underline{6}$ Reorder Point/'Safety Stock (Discrete Distribution) |
|  |  | $\underline{7}$ Kanban computation |
| 虚 Print | Ctrl+P | 8 Single Period Inventory (Discrete Distribution) |
| 営 Print Screen |  | 9 Single Period Inventory (Normal Distribution) |
| 1) Solve | F9 | $\underline{2}$ Single Peniod Inentor (Nomal Distribution) |

$\llbracket$ Eile Edit Yiew Module Format Iools Window He
y. Solve FS
Exit
1 G:|EXAMPLE - QUANTITY DISCOUNT MODEL.inv
2 G:'EXAMPLE - BASIC EOQ MODEL.inv
3...\{SKELETON FORCE STRATEGY - Aggregate Planning.agg
4 ...|SKELETON FORCE STRATEGY - NEW - Agg Plan.agg

## TO COMPUTE THE TOTAL VARIABLE COST, WE FIRST FIND OPTIMAL Q (EOQ)

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|  |  |
| :--- | ---: |
| Parameter | Value |
| Demand rate(D) | 1000 |
| Setup/Ordering cost(S) | 10 |
| Holding cost(H) | .50 |
| Unit cost | 0 |

funtilled)
ANNUAL DEMAND $=1,000$
ORDERING COST = \$10.00

CARRY COST PER UNIT = \$.50

QM for Windows


Total Variable Cost

Reorder point

- No reorder point
Compute reorder point
- Order Quantity ( $0=E 0 Q$ )


## - Scale Axes

| $x$ minimum $\sqrt{\text { Automatic }}$ |
| :---: |
| $x$ maximum $\sqrt{\text { Automatic }}$ |
| $y$ minimum $\longdiv { \text { Automatic } }$ |
| $y$ maximum $\sqrt{\text { Automatic }}$ |
| $\Gamma x$ axis grid lines |
| $\Gamma y$ axis grid lines |
| Redraw |

Reset to default


## The Reorder Point ( ROP )

## WHATJ ITIS

## PURPOSE

Reduces or eliminates the probability of an inventory stockout during the reorder waiting period ( leadtime)

## Variable Interpretations

## SERVICE SECTOR

MANUFACTURNG

Lead time ( $L$ ) is the period between ordering and receiving purchased items

Lead time ( $L$ ) is the period between starting and ending the item's production run


## Reorder Point Formula




## Reorder Point Example

If the firm must wait 3 days for an order to arrive, during which time, the daily average demand is 8 units, then:

$$
R O P=[d x L]=[8 \times 3]=24 \text { units }
$$

Reorder when there are 24 units still left in the account balance

## IMPORTANT ADVICE,

There is no relationship between the Q* (EOQ) and the ROP (R)

Each is computed separately

The ROP is never an optimal value

It is impossible to eliminate stockouts entirely

## The Inventory Cycle Chart

## Graphically depicts the relationship between:

## Q* / EOQ ROP



## The Inventory Cycle Chart

INVENTORY
LEVEL

PICKET FENCE VERSION
$\mathbf{Q}^{*} \quad \mathbf{Q}^{*} \quad \mathbf{Q}^{*}$

## The Inventory Cycle Chart

INVENTORY
LEVEL

PICKET FENCE VERSION

$$
Q^{*}=100 \quad Q^{*}=100 \quad Q^{*}=100
$$



## The Average Inventory Concept

[ $Q^{*} / 2$ ] or [ Q/2] = AVERAGE INVENTORY


## Variable Interpretations

## SERVICE SECTOR

P or $\mathbf{U}$ is the wholesale price per unit to the retailer

## MANUFACTURING

> P or U is the manufacturing cost per unit


## The Quantity Discount Model

## USED WHENEVER THE FIRM IS GIVEN THE OPTION OF PURCHASING GOODS AT SEVERAL LOWER UNIT PRICES

## Quantity Discount Model Expectation



QUANTITY DISCOUNT MODEL

The variable "H" must be computed as a function of :

$$
l \times P
$$

WHERE "I" IS THE UNIT CARRY COST EXPRESSED AS A FIXED PERCENTAGE OF A CHANGEABLE UNIT PRICE

A new expression
P x D

WHERE "P" IS THE UNIT PRICE MULTIPLIED BY THE ANNUAL DEMAND FOR THE UNIT

THIS IS, THE AMOUNT WE ACTUALLY PAY FOR THE GOODS THEMSELVES ANNUALLY

## Changing Carry Gost per Unit

> If unit price $=\mathbf{\$ 5 . 0 0}$
$\mathrm{H}=\mathbf{\$ 1 . 0 0}$
(\$5.00 x . 20 )
> If unit price $=\mathbf{\$ 4 . 8 0}$
H = \$. 96
(\$4.80 x. 20 )

> If unit price $=\mathbf{\$ 4 . 7 5}$
H = \$. 95
(\$4.75 x. 20 )

ASSUMING I = 20\%

## Unit Carry Costs Really Do Change with Unit Price

* Obsolescence costs are less / more
* Spoilage costs are less / more
* Cost of capital to purchase the units is less / more
* Inventory taxes are less / more


THE VENDOR'S PRICE SCHEDULE

Annual Demand $=5,000$ units Order Cost $=\$ 49.00$ Carry Cost as Percentage of Unit Price = 20\%

## Quantity Discount Model

 EXAMPLEStep 1 - Compute $Q^{*}$ at each unit price, starting with the lowest price

$$
Q_{1}^{*}=\sqrt{\frac{2(5000)(49.00)}{(.20)(4.75)}}=718 \text { units }
$$



## Quantity Discount Model

 EXAMPLEStep 1 - Compute $Q^{*}$ at each unit price, with the next lowest price

$$
Q_{2}^{*}=\sqrt{\frac{2(5000)(49.00)}{(.20)(4.80)}}=714 \text { units }
$$



## Quantity Discount Model

 EXAMPLEStep 1 - Compute $Q^{*}$ at each unit price, with the next lowest price

$$
Q_{3}{ }^{*}=\sqrt{\frac{2(5000)(49.00)}{(.20)(\underline{5.00})}}=700 \text { units }
$$



## Quantity Discount Model

## EXAMPLE

Step 2 - Recompute the $\mathbf{Q}^{*}$ s where necessary
$Q_{1}{ }^{*}=718$ is adjusted to $Q_{1}=2,000$ units
( to qualify for the 5\% discount )
$Q_{2}{ }^{*}=714$ is adjusted to $Q_{2}=1,000$ units
( to qualify for the 4\% discount )
$\mathrm{Q}_{3}{ }^{\boldsymbol{*}}=700$ need not be adjusted
( to qualify for the 0\% discount )

## Total Cost ( TC ) Formula

Total Variable Costs ( TVC )


## Quantity Discount Model

TOTAL COST OF Q $1=2000$ UNITS

$$
\text { TC = [ } \underbrace{(\mathrm{Q} / 2) \times \mathrm{H}}_{\text {ANNUAL CARRY COST }}]+[\underbrace{(\mathrm{D} / \mathbf{Q}) \times \mathrm{S}}_{\text {ANNUAL ORDER COST }}]+\underbrace{[P \times D]}_{\text {ANNUAL FIXED COST }}
$$

$=[(2000 / 2) \times(.20)(\$ 4.75)]+[(5000 / 2000) \times \$ 49.00]+[\$ 4.75 \times 5000]$

$$
=[\$ 950.00]+[\$ 122.50]+[\$ 23,750.00]
$$

$$
=\$ 24,822.50
$$

## Quantity Discount Model

 TOTAL COST OF Q $\mathbf{Q}_{2} 1000$ UNITS$$
\mathrm{TC}=[(\mathrm{Q} / 2) \times \mathrm{H}]+[(\mathrm{D} / \mathrm{Q}) \times \mathrm{S}]+[\mathrm{P} \times \mathrm{D}]
$$

$=[(1000 / 2) \times(.20)(\$ 4.80)]+[(5000 / 1000) \times \$ 49.00]+[\$ 4.80 \times 5000]$

$$
=[\$ 480.00]+[\$ 245.00]+[\$ 24,000.00]
$$

$$
=\$ 24,725.00
$$

## Quantity Discount Model

 TOTAL COST OF Q ${ }_{3}=700$ UNITS$$
\begin{gathered}
\mathrm{TC}=[(\mathrm{Q} / 2) \times \mathrm{H}]+[(\mathrm{D} / \mathrm{Q}) \times \mathrm{S}]+[\mathrm{P} \times \mathrm{D}] \\
=[(700 / 2) \times(.20)(\$ 5.00)]+[(5000 / 700) \times \$ 49.00]+[\$ 5.00 \times 5000] \\
=[\$ 350.00]+[\$ 350.00]+[\$ 25,000.00] \\
=\$ 25,700.00
\end{gathered}
$$

## Quantity Discount Model

## EXAMPLE

## SUMMARY



## Quantity Discount Model

EXAMPLE

## SUMMARY



## Quantity Discount Model

 EXAMPLEStep 4 - Select the "Q" with the lowest total cost (TC)
SINCE Q2 ( 1000 units ) HAS THE LOWEST TOTAL COST, THE PURCHASING DECISION IS:


## Inventory Modeling with QM for Windows



QM for Windows
$\|$ File Edit Yiew Module Format Iools window Help

 1 2 Production Order Quantity Model 3 Quantity Discount (EOQ) Model

4 ABC Analysis
단 Reorder Point/SSafety Stock (Normal Distribution) 6 Reorder Point/Safety Stock (Discrete Distribution)
Save as Excel file
Save as HTML
比 Print
Z Kanban computation
$\underline{8}$ Single Period Inventory (Discrete Distribution)
$\underline{2}$ Single Period Inventory (Normal Distribution)
solve ${ }^{F 9}$

Exit
1 G:\{EXAMPLE - QUANTITY DISCOUNT MODEL.inv
2 G:|EXAMPLE - BASIC EOQ MODEL.inv
3....\{SKELETON FORCE STRATEGY - Aggregate Planning.agg

4 ...|SKELETON FORCE STRATEGY - NEW - Agg Plan.agg

## SELECT THE QUANTITY DISCOUNT OPTION

## QM for Windows







- Instruction

Enter the cost per unit for this cost range. Any non-negative value is permissible.


THE DATA TABLE APPEARS WITH 3 PRICE RANGES PROVIDED FOR

```
Eile Edit view Module Format Iools window Help
```




- Instruction

Enter the cost per unit for this cost range. Any non-negative value is permissible.

|  | EXAMPLE - QUAANTITY DISCOUNT MODEL - Dr. Vaccaro |  |  |  |
| :---: | :---: | :---: | :---: | :---: |
| Parameter | Value |  |  |  |
| Demand rate(D) | 5,000 | xxxxxxx | xxxxxxx |  |
| Setup/Ordering cost(S) | 49 | xxxxxxx | xxxxxxx | ANNUAL DEMAND $=5,000$ |
| Holding $\operatorname{cost}(\mathrm{H})$ | 20\% | x $x$ x $x \times x \times$ | xxxxxxx |  |
| Price Ranges | LOMER | UPPER | PRICE | ORDER COST = \$49.00 |
| 1 | 1 | 999 | 5 |  |
| 2 | 1,000 | 1,999 | 4.8 | HOLDING COST = 20\% |
| 3 | 2,000 | 999,999 | 4.75 |  |



QM for Windows - G:VEXAMPLE - QUANTITY DISCOUNT MODEL.inv
Eile Edit Yiew Module Format Iools window Help


EXAMPLE - QUANTITY DISCOUNT MODEL - Dr. Vaccaro Solution


WE PURCHASE 1,000 UNITS AT A TIME AT \$4.80 EACH, FOR THE LOWEST OVERALL TOTAL COSTS

QM for Windows - G:VEXAMPLE - QUANTITY DISCOUNT MODEL.inv

```
Eile Edit Yiew Module Format Iools Window Help
```





- Instruction

There are more results available in additional windows. These may be opened by using the W/NDOW option in the Main Menu.


THE
LOWEST TOTAL COSTS
\$24,725.00
WITH THE 4\% DISCOUNT

```
2* Eile Edit Yiew Module Format Iools Window Help
```



## - Instruction

Other output can be viewed by using W/NDOW.


## Inventory Control Using Excel Siolyer Software



$\square$
 A1 -

Assignment

Breakeven Analysis
Decision Analysis
Forecasting
Games (Zero Sum)
Inventory
Linear, Integer \& Mixed Integer Programming Markov Chains

Material Requirements Planning
Network Analysis
Project Management
Quality Control
Simulation
Statistics (mean, var, sd; Normal Dist)
Iransportation
Waiting Lines
Show/Hide Toolbar
Tools


## Economic Order Quantity

Production Run Model
Quantity Discount
ABC Analysis
Reorder point;'Safety Stock (Normal Distribution)
Reorder point/Safety Stock (Discrete Distribution)
Single Period Inventory (Discrete)
Single Period Inventory (Normal)
$\square$
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Economic Order Quantity
Production Run Model
Quantity Discount
ABC Analysis
Reorder point;'Safety Stock (Normal Distribution)
Reorder point/Safety Stock (Discrete Distribution)
Single Period Inventory (Discrete)
Single Period Inventory (Normal)

Breakeven Analysis ,

Decision Analysis

Spreadsheet Initialization
Title: Basic EOQ and TVC Formulal
Eorecasting
Games (Zero Sum)
Inventory
Linear, Integer \& Mixed Integer Programming Markov Chains

Material Requirements Planning
$\square$ .
. . . .


## Sheet name: <br> -Options <br> Reorder Point <br> $\checkmark$ Graph

Holding cost
C Fixed amount
$C$ Percent of unit cost
J K

```
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```



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－
B $I$ $\underline{\mathbf{U}}$


B10 $\quad$ fx 100

Inventory：Cost vs Quantity

| 1 | Dr．Philip A．Vaccaro |
| :--- | :--- |
| 2 |  |
| 3 | Basic EOQ and TVC Formula |

Enter the data in the shaded area

| B | C | D |  |
| :---: | :---: | :---: | :---: |
|  |  |  |  |
|  |  |  |  |
|  |  |  |  |

Data
0 Demand rate，D
11 Setup／order cost，S
12 Holding cost，H
13 Unit Price P
Daily demand rate，$d$
Lead time in days，$L$
Results ـ
$\square$

| 2100 |
| ---: |
| 40 |
| 10 |
| 200 |
| 20 |
| 3 |
|  |
| 28.28427125 |
| 28.28427125 |
| 14.14213562 |
| 3.535533906 |



Order Quantity（Q）
— Setup cost ——Holding cost - Total cost

Template and
Sample Data
 $\sqrt{33}$ • $\frac{f_{x}}{A}$
Dr. Philip A. Vaccaro
3 Basic EOQ and TVC Formula

## Economic Order Quantity Model

## Data

0 Demand rate, D
11 Setup/order cost, S
12 Holding cost, H
13 Unit Price, P

| 14 |
| :--- |
| 15 |
| 16 |
| 17 |
| 18 |
| 19 |
| 20 |
| 21 |
| 22 |
| 23 |
| 24 |
| 25 |
| 26 |
| 27 |
| 28 |
| 29 |
| 30 |
| 31 |
| 32 |
| 33 |
| 34 |
| 35 |

Daily demand rate,
Lead time in days, $L$
Results
8 Optimal Order Quantity, Q*

| $B$ | $C$ | $D$ |  |
| :---: | :---: | :---: | :---: |
|  |  |  |  |
|  |  |  |  |
|  |  |  |  |

Inventory: Cost vs Quantity

J 33 • $f_{x}$

|  | A | B | C | D | E | F | G | H | I | J | K |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 29 |  |  |  |  |  |  |  |  |  |  |  |
| 30 | COST TABLE | Start at | 175 | Increment | 58.33333 |  |  |  |  |  |  |
| 31 |  |  |  |  |  |  |  |  |  |  |  |
| 32 |  | Q | Setup cost | Holding co | Total cost |  |  |  |  |  |  |
| 33 |  | 175 | 1400 | 87.5 | 1487.5 |  |  |  |  |  |  |
| 34 |  | 233.3333333 | 1050 | 116.6667 | 1166.667 |  |  |  |  |  |  |
| 35 |  | 291.6666667 | 840 | 145.8333 | 985.8333 |  |  |  |  |  |  |
| 36 |  | 350 | 700 | 175 | 875 |  |  |  |  |  |  |
| 37 |  | 408.3333333 | 600 | 204.1667 | 804.1667 |  |  |  |  |  |  |
| 38 |  | 466.6666667 | 525 | 233.3333 | 758.3333 |  |  |  |  |  |  |
| 39 |  | 525 | 466.6667 | 262.5 | 729.1667 |  |  |  |  |  |  |
| 40 |  | 583.3333333 | 420 | 291.6667 | 711.6667 |  |  | I |  |  |  |
| 41 |  | 641.6666667 | 381.8182 | 320.8333 | 702.6515 |  |  |  |  |  |  |
| 42 |  | 700 | 350 | 350 | 700 |  |  |  |  |  |  |
| 43 |  | 758.3333333 | 323.0769 | 379.1667 | 702.2436 |  |  |  |  |  |  |
| 44 |  | 816.6666667 | 300 | 408.3333 | 708.3333 |  |  |  |  |  |  |
| 45 |  | 875 | 280 | 437.5 | 717.5 |  |  |  |  |  |  |
| 46 |  | 933.3333333 | 262.5 | 466.6667 | 729.1667 |  |  |  |  |  |  |
| 47 |  | 991.66666667 | 247.0588 | 495.8333 | 742.8922 |  |  |  |  |  |  |
| 48 |  | 1050 | 233.3333 | 525 | 758.3333 |  |  |  |  |  |  |
| 49 |  | 1108.333333 | 221.0526 | 554.1667 | 775.2193 |  |  |  |  |  |  |
| 50 |  | 1166.666667 | 210 | 583.3333 | 793.3333 |  |  |  |  |  |  |
| 51 |  | 1225 | 200 | 612.5 | 812.5 |  |  |  |  |  |  |
| 52 |  | 1283.333333 | 190.9091 | 641.6667 | 832.5758 |  |  |  |  |  |  |
| 53 |  | 1341.666667 | 182.6087 | 670.8333 | 853.442 |  |  |  |  |  |  |
| 54 |  | 1400 | 175 | 700 | 875 |  |  |  |  |  |  |
| 55 |  | 1458.333333 | 168 | 729.1667 | 897.1667 |  |  |  |  |  |  |
| 56 |  | 1516.666667 | 161.5385 | 758.3333 | 919.8718 |  |  |  |  |  |  |
| 57 |  |  |  |  |  |  |  |  |  |  |  |
| 58 |  |  |  |  |  |  |  |  |  |  |  |
| 59 |  |  |  |  |  |  |  |  |  |  |  |
| 60 |  |  |  |  |  |  |  |  |  |  |  |
| 61 |  |  |  |  |  |  |  |  |  |  |  |
| 62 |  |  |  |  |  |  |  |  |  |  |  |
| 63 |  |  |  |  |  |  |  |  |  |  |  |
| 64 |  |  |  |  |  |  |  |  |  |  |  |

## Inventory Control Using Excel Siolyer Software


$\square$
 A1 -

Assignment

Breakeven Analysis
Decision Analysis
Forecasting
Games (Zero Sum)
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Linear, Integer \& Mixed Integer Programming
Markov Chains
Material Requirements Planning
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## Economic Order Quantity

Production Run Model

## Quantity Discount

ABC Analysis
Reorder point/'Safety Stock (Normal Distribution)
Reorder point/Safety Stock (Discrete Distribution)
Single Period Inventory (Discrete)
Single Period Inventory (Normal)

Breakeven Analysis

Decision Analysis
 Spreadsheet Initialization

> Title: QUANTITY DISCOUNT MODEL

Number of price ranges
(Use A for A, B, C ... or a for a, b, C ...)
Eorecasting

Games (Zero Sum)
Inventory
Linear, Integer \& Mixed Integer Programming Markov Chains

Material Requirements Planning
.. . . ,


| J | K | L | M | N | C |
| :--- | :--- | :--- | :--- | :--- | :--- |


A1 $\quad f_{x}$ Dr. Philip A. Vaccaro

## Dr. Philip A. Vaccaro <br> QUANTITY DISCOUNT MODEL

## Inventory

## Quantity Discount Model

Enter the data in the shaded area. The minimum quantity is the minimum amount that needs to be ordered in order to get the price that is in the same column.

## Template and Sample Data

Total Cost vs Order Quantity

 Quantity

| 4 | 8.249579114 | 200 | 484.8732214 | 164.9915823 | 20000 | 20649.86 |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |

 G5 $f x$



|  | G5 fx |  |  |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | A | B | C | D | E | F | G | H | \| |
| 28 | Total cost, $\mathrm{T}_{6}$ | \$25,700.00 | \$24,725.00 | \$24,822.50 |  |  |  |  |  |
| 29 |  |  |  |  |  |  |  |  |  |
| 30 | Base inc on | 700 |  |  |  |  |  |  |  |
| 31 | Cost table | Q | Unit cost | Setup cost | Holding cost | Total unit costs | Total Costs |  |  |
| 32 | 1 | 233.3333333 | 5 | 1050 | 116.6666667 | 25000 | 26166.67 |  |  |
| 33 | 2 | 291.6666667 | 5 | 840 | 145.8333333 | 25000 | 25985.83 |  |  |
| 34 | 3 | 350 | 5 | 700 | 175 | 25000 | 25875 |  |  |
| 35 | 4 | 408.3333333 | 5 | 600 | 204.1666667 | 25000 | 25804.17 |  |  |
| 36 | 5 | 466.6666667 | 5 | 525 | 233.3333333 | 25000 | 25758.33 |  |  |
| 37 | 6 | 525 | 5 | 466.6666667 | 262.5 | 25000 | 25729.17 |  |  |
| 38 | 7 | 583.3333333 | 5 | 420 | 291.6666667 | 25000 | 25711.67 |  |  |
| 39 | 8 | 641.6666667 | 5 | 381.8181818 | 320.8333333 | 25000 | 25702.65 |  |  |
| 40 | 9 | 700 | 5 | 350 | 350 | 25000 | 25700 |  |  |
| 41 | 10 | 758.3333333 | 5 | 323.0769231 | 379.1666667 | 25000 | 25702.24 |  |  |
| 42 | nsitivity 11 | 816.6666667 | 5 | 300 | 408.3333333 | 25000 | 25708.33 |  |  |
| 43 | Sensitity 12 | 875 | 5 | 280 | 437.5 | 25000 | 25717.5 |  |  |
| 44 | Analvsis 13 | 933.3333333 | 5 | 262.5 | 466.6666667 | 25000 | 25729.17 |  |  |
| 45 | 1S 14 | 991.6666667 | 5 | 247.0588235 | 495.8333333 | 25000 | 25742.89 |  |  |
| 46 | 15 | 1050 | 4.8 | 233.3333333 | 504 | 24000 | 24737.33 |  |  |
| 47 | 16 | 1108.333333 | 4.8 | 221.0526316 | 532 | 24000 | 24753.05 |  |  |
| 48 | 17 | 1166.666667 | 4.8 | 210 | 560 | 24000 | 24770 |  |  |
| 49 | 18 | 1225 | 4.8 | 200 | 588 | 24000 | 24788 |  |  |
| 50 | 19 | 1283.333333 | 4.8 | 190.9090909 | 616 | 24000 | 24806.91 |  |  |
| 51 | 20 | 1341.666667 | 4.8 | 182.6086957 | 644 | 24000 | 24826.61 |  |  |
| 52 | 21 | 1400 | 4.8 | 175 | 672 | 24000 | 24847 |  |  |
| 53 | 22 | 1458.333333 | 4.8 | 168 | 700 | 24000 | 24868 |  |  |
| 54 | 23 | 1516.666667 | 4.8 | 161.5384615 | 728 | 24000 | 24889.54 |  |  |
| 55 | 24 | 1575 | 4.8 | 155.5555556 | 756 | 24000 | 24911.56 |  |  |
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